Time Series Data Augmentation for Neural Networks by Time Warping with a Discriminative Teacher Brian Kenji Iwana and Seiichi Uchida Kyushu University

# Summary

- We proposed a new data augmentation method for time series called guided warping. Guided warping warps the elements of one time series to the steps of another time series using Dynamic Time Warping (DTW).
- We demonstrated that the use of a discriminator can improve the performance of guided warping by selecting the most discriminate teacher.
- We evaluated the proposed method on all 88 datasets from the 2015 UCR Time Series Archive [1] using a temporal CNN and an LSTM.

# Background

- Time series classification datasets are often small and this isn't ideal for neural networks.
- Data augmentation is a common method to increase generalization.
- Common time series data augmentation methods include: random transformations, generative models, pattern mixing, and signal decomposition methods.

### References

- [1] Chen et al., the UCR Time Series Classification Archive, https://www.cs.ucr.edu/~eamonn/time\_series\_data/, 2015
- [2] Um et al., Data augmentation of wearable sensor data for Parkinson's disease monitoring using convolutional neural networks, ACM ICMI, 2017
- [3] Le Guennec et al., Data augmentation for time series classification using convolutional neural networks, IWAATD, 2016
- [4] Kamycki et al., Data augmentation with suboptimal warping for time-series classification, Sensors, 2019
- [5] Forestier et al., Generating synthetic time series to augment sparse datasets, IEEE ICDM, 2017

# Method



# Visualization of the UCR CBF Dataset Using MDS SPAWNER [4] wDBA ASD [5] DGW-sD (Proposed)

Real

**Results** 

### **Guided Warping**

- The elements of the input sample are warped to the time steps of the teacher sample using DTW.
- The generated pattern has the features of the input at the time steps of the teacher sample.



### Discriminator

 To select the most discriminative teacher, a nearest centroid classifier is used, or:

$$h(\mathbf{b}_m) = \frac{1}{\sum_{m'} [l_{m'} \neq l_m]} \sum_{m'} \mathcal{D}(\mathbf{b}_{m'}, \mathbf{b}_m) |[l_{m'} \neq l_m]$$
$$- \frac{1}{\sum_{m'} [l_{m'} = l_m]} \sum_{m'} \mathcal{D}(\mathbf{b}_{m'}, \mathbf{b}_m) |[l_{m'} \neq l_m]$$

 $\mathbf{b}_{\text{disc}} = \operatorname*{argmax}_{\{m=1,\dots,M\}} h(\mathbf{b}_m)$ 

 $\mathbf{b}_m$  is a time series in bootstrap set  $\mathbf{B}$   $\mathcal{D}(\mathbf{b}_{m'},\mathbf{b}_m)$  is the DTW distance between  $\mathbf{b}_{m'}$  and  $\mathbf{b}_m$ 

 $l_m$  is the label of pattern  $\mathbf{b}_m$ 

### Results on 2015 UCR Time Series Archive Datasets

Generated

Method	CNN	LSTM
No Augmentation	76.44	57.24
Jittering [2]	77.32	58.35
Rotation [2]	74.84	54.78
Scaling [2]	77.06	57.98
Magnitude Warping [2]	78.30	58.04
Time Warping [2]	78.10	52.80
Window Slicing [3]	79.15	54.49
Window Warping [2]	79.58	57.49
SPAWNER [4]	78.84	58.98
wDBA [5]	77.42	56.01
RGW-D (Proposed)	79.39	57.42
RGW-sD (Proposed)	79.27	56.43
DGW-D (Proposed)	80.12	56.01
DGW-sD (Proposed)	80.17	56.99

RGW-D: Random Guided Warping with DTW RGW-sD: Random Guided Warping with shapeDTW DGW-D: Discriminative Guided Warping with DTW DGW-sD: Discriminative Guided Warping with shapeDTW