Unconstrained Vision Guided UAV Based Safe Helicopter Landing Arindam Sikdar¹, Abhimanyu Sahu¹, Debajit Sen², Rohit Mahajan², Ananda S. Chowdhury¹ ¹Imaging Vision and Pattern Recognition Group, Electronics and Telecommunication Engineering, Jadavpur University, Kolkata, India; ²Elmax Systems and solutions Kolkata, India.

Problem Statement/Contribution

Goal : To identify safe zones for helicopter landing for possible relief distribution in disaster stricken areas from aerial videos captured by UAVs in an unconstrained manner.

The major contributions of this work are:

- Proposed a epipolar constrained based clustering approach to extract stereo pairs from single camera
- Minimum Spanning tree (MST) based graph clustering is applied where the constraint is used to prune the edges of graph
- · The constrained in applied over pair-wise frames collected during flight
- Additionally proposed publicly available AHL dataset containing several landing/no-landing zones along with GPS and camera information.
- Also provided ground truth annotations as foreground masks for frames with safe landing zone.

Stereo-Pair Generation using Constrained Clustering

Construction of a Video Representation Graph:

- A complete weighted graph is initially constructed in the 64- dimensional feature space with all frames in a video segment.
- We term this as a video representation graph (VRG). Each frame is deemed as a vertex.
- Edges are established between each pair of vertices. The edge weight wij between the frames j and j with respective feature vectors fi and fj is given by:

$$w_{ij} = \sum_{k=1}^{64} |f_{ik} - f_{jk}|$$

 Now, the epipolar constraint in equation (7) is used to prune the complete graph to form a sparse graph. So, for edge weights, we write:

$$w_{ij} = \begin{cases} w_{ij} & Tr(\mathbf{Q}_i^T \mathcal{E}_{ij}^{\tau} \mathbf{Q}_j) < \delta \\ 0 & otherwise \end{cases}$$

- Typically, a video segment with 230 frames would consists of 230C2 \approx 25000 edges which reduces to a sparse graph with \approx 5000 vertices.

Experimental result (Quantitative)

Video Methods		DI(†)	DBI(1)	
set	Methods	DI(T)	DBI(‡)	
Set01	k-means	0.123	0.952	
	Agglomerative	0.155	0.781	
	COP-Kmeans	0.164	0.744	
	CSP	0.181	0.627	
	CciMST	1.110	0.576	
	Ours	1.280	0.405	
Set02	k-means	0.151	1.810	
	Agglomerative	0.181	1.760	
	COP-Kmeans	0.183	1.300	
	CSP	0.226	1.290	
	CciMST	0.346	0.924	
	Ours	0.570	0.869	
Set03	k-means	0.190	1.280	
	Agglomerative	0.201	0.934	
	COP-Kmeans	0.188	0.871	
	CSP	0.210	0.884	
	CciMST	0.287	0.713	
	Ours	0.307	0.634	
Set04	k-means	0.217	1.240	
	Agglomerative	0.235	1.160	
	COP-Kmeans	0.296	1.140	
	CSP	0.422	0.940	
	CciMST	0.525	0.649	
	Ours	0.853	0.370	
Set05	k-means	0.614	0.553	
	Agglomerative	0.649	0.518	
	COP-Kmeans	0.677	0.525	
	CSP	0.714	0.453	
	CciMST	0.797	0.438	
	Ours	0.867	0.357	

TABLE I

Validity Comparisons based on Cluster Measures: We have chosen standard k-means and hierarchical agglomerative clustering as baseline approaches along with two constrained clustering algorithms, namely, constrained k-means clustering and constrained-spectral-clustering as well as one recently proposed MST based clustering technique, namely, CciMST for comparison.

Methods	CLUSTERING METHODS Criteria						
Methods	TPR	TNR	Precision	Recall	F-score	Accuracy	
k-means	0.125	0.952	0.438	0.125	0.194	0.761	
Agglomerative	0.196	0.947	0.524	0.196	0.286	0.774	
COP k-means	0.250	0.952	0.609	0.250	0.354	0.790	
CSP	0.304	0.925	0.548	0.304	0.391	0.782	
CciMST	0.339	0.941	0.633	0.339	0.442	0.802	
Our Proposed	0.554	0.952	0.775	0.554	0.646	0.860	

Stereo-Pair Generation using Constrained Clustering

- Formulation of Epipolar Constraint:
- Two image planes captured from well calibrated cameras will form a stereo pair if they satisfy the epipolar constraint
- This is equivalent to saying the three vectors in fig 1:
 - $\overline{C_0p_0'}\cdot[\overline{C_0C_1'}\times\overline{C_1p_1'}]=0$
- An overall fitness value of two given frames to be a stereo pair can be represented at iteration t in form of a matrix operation as: $F_{cpi} = \frac{1}{M} Tr(\mathbf{Q}^{\prime T} \mathcal{E}^{\prime} \mathbf{Q})$
- The fundamental matrix E is estimated using M-point algorithm while minimizing Fepi at iteration t. $\frac{1}{M}Tr(\mathbf{Q}^T \mathcal{I}^* \mathbf{Q}) < \varepsilon$ $\implies Tr(\mathbf{Q}^T \mathcal{I}^* \mathbf{Q}) < \varepsilon M$
- → Tr(Q^T TQ) < δ
 The physical interpretation of imposing such constraint is that two frames can only be in the same group (cluster) if and only if their fitness are bounded by δ.

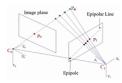


Fig 1. Epipolar geometry between two frames

Dataset Generation

This work contributes a dataset especially for developing and testing models for vision guided helicopter landing.

As per our knowledge there are no publicly available datasets of such kind and we are the first to propose and render real aerial dataset for such a problem.

We have named our dataset as Autonomous Helicopter Landing (AHL) dataset. AHL dataset with all the ground-truth annotations are made available at <u>https://sites.google.com/site/ivprgroup/helicopter-landing</u>.



Fig 3. Various scenes of our dataset with and without safe-zones. Frames in first rows are without any safe landing zones while in second row the different safe zones are marked with red-mask

Experimental result (Qualitative)

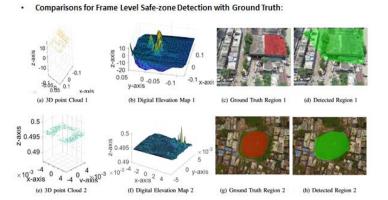


Fig 4. 3D Point Cloud, Digital Elevation Map, Ground Truth and Detected safe-zone in a frame from Set02 (top row) and Set04 (bottom row)