

# Learning Embeddings for Image Clustering: An Empirical Study of Triplet Loss Approaches

Kalun Ho<sup>1, 2, 4</sup>, Janis Keuper<sup>3</sup>, Franz-Josef Pfreundt<sup>1, 2</sup>, and Margret Keuper<sup>4</sup>

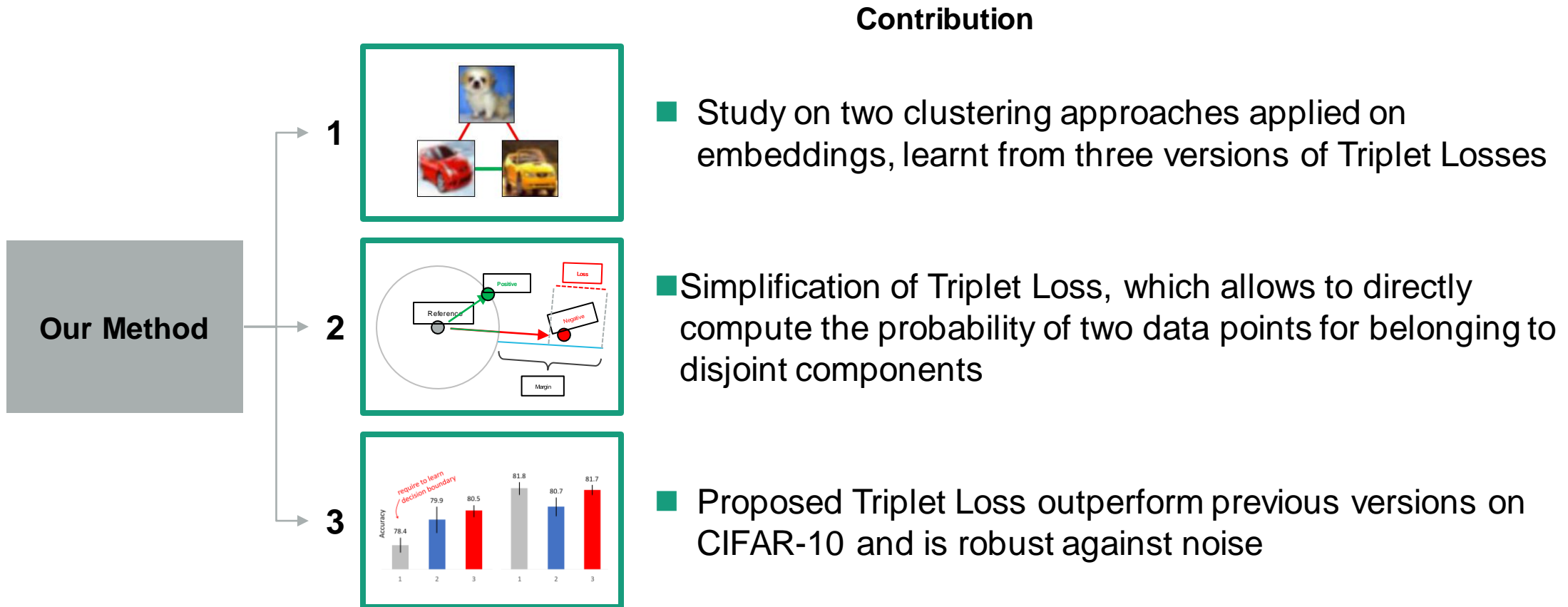
<sup>1</sup>*Fraunhofer Center Machine Learning, Germany*

<sup>2</sup>*Competence Center High Performance Computing, Fraunhofer ITWM, Kaiserslautern, Germany*

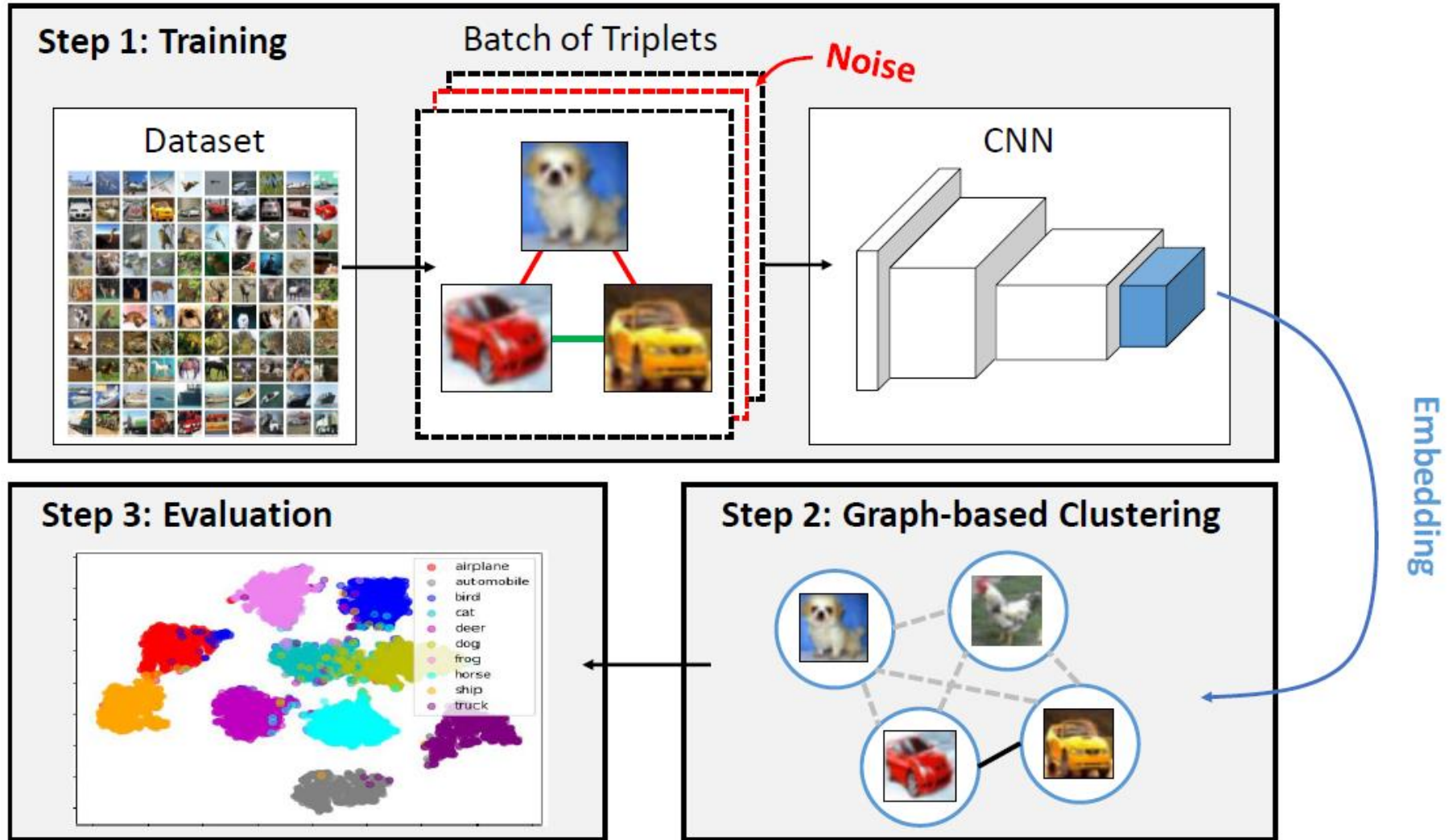
<sup>3</sup>*Institute for Machine Learning and Analytics (IMLA), Offenburg University, Germany*

<sup>4</sup>*Data and Web Science Group, University of Mannheim, Germany*

# Our method has three contributions



# Overview



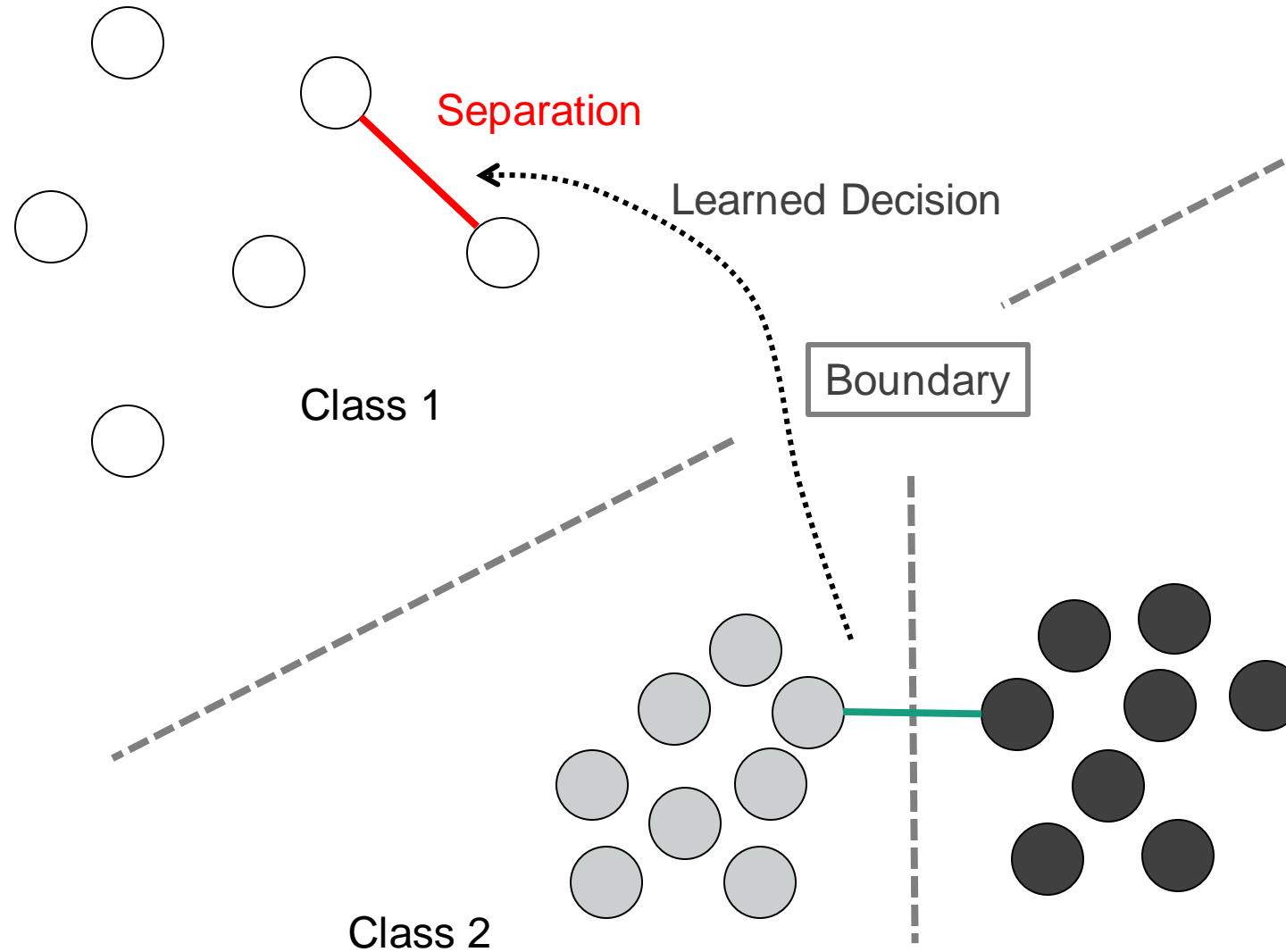
# We investigated three versions of Triplet Loss

$$L_{triplet} = \sum_{i=1}^n [\|f(x_i^a) - f(x_i^p)\|^2 - \|f(x_i^a) - f(x_i^n)\|^2 + \alpha]_+$$

$$L_{triplet\_2} = L_{triplet} + [\|f(x_i^a) - f(x_i^p)\|^2 - \beta]_+$$

$$L_{triplet\_3} = \sum_{i=1}^n [\alpha - \|f(x_i^a) - f(x_i^n)\|^2]_+ + [\|f(x_i^a) - f(x_i^p)\|^2 - \beta]_+$$

# Different Intra-cluster Distance make it impossible to learn Threshold



# We can derive the Threshold directly from training Parameters

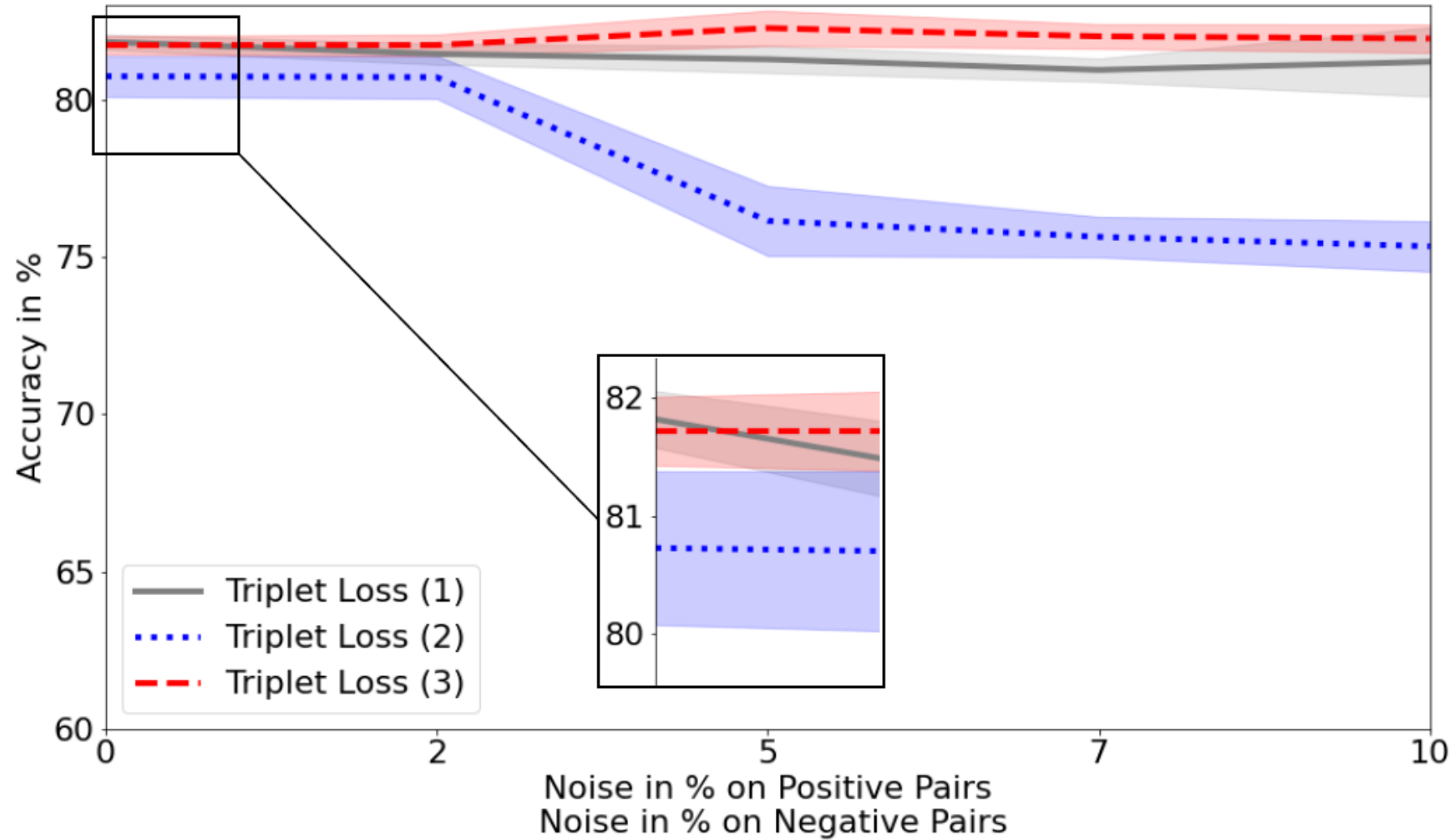
$$L_{triplet} = \sum_{i=1}^n [\|f(x_i^a) - f(x_i^p)\|^2 - \|f(x_i^a) - f(x_i^n)\|^2 + \alpha]_+$$

$$L_{triplet\_2} = L_{triplet} + [\|f(x_i^a) - f(x_i^p)\|^2 - \beta]_+$$

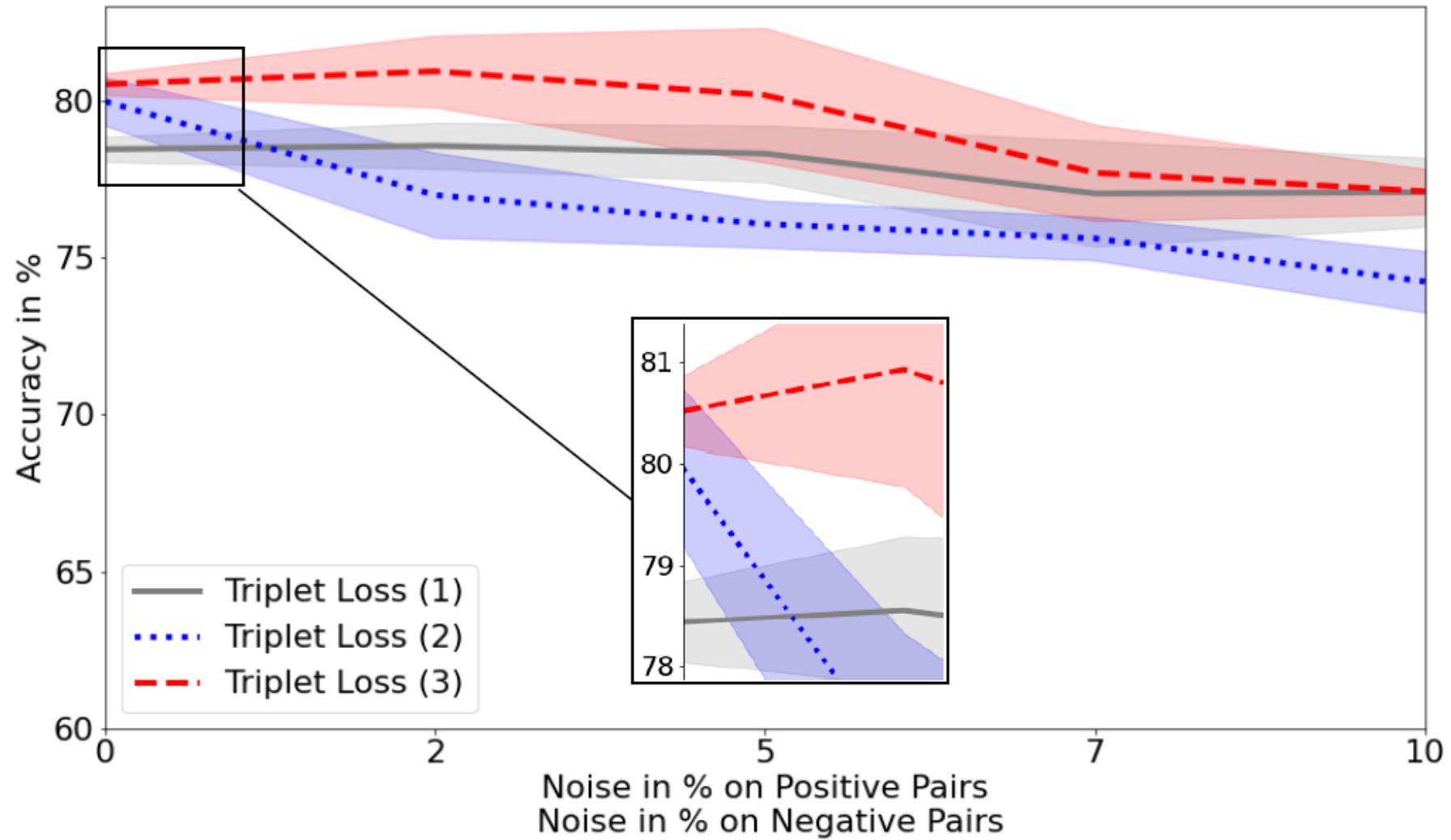
$$L_{triplet\_3} = \sum_{i=1}^n [\alpha - \|f(x_i^a) - f(x_j^n)\|^2]_+ + [\|f(x_i^a) - f(x_k^p)\|^2 - \beta]_+$$

➔ **Threshold:**  $\tau = \sqrt{(\alpha + \beta)/2}$

# Clustering Performance with noisy data: KMeans

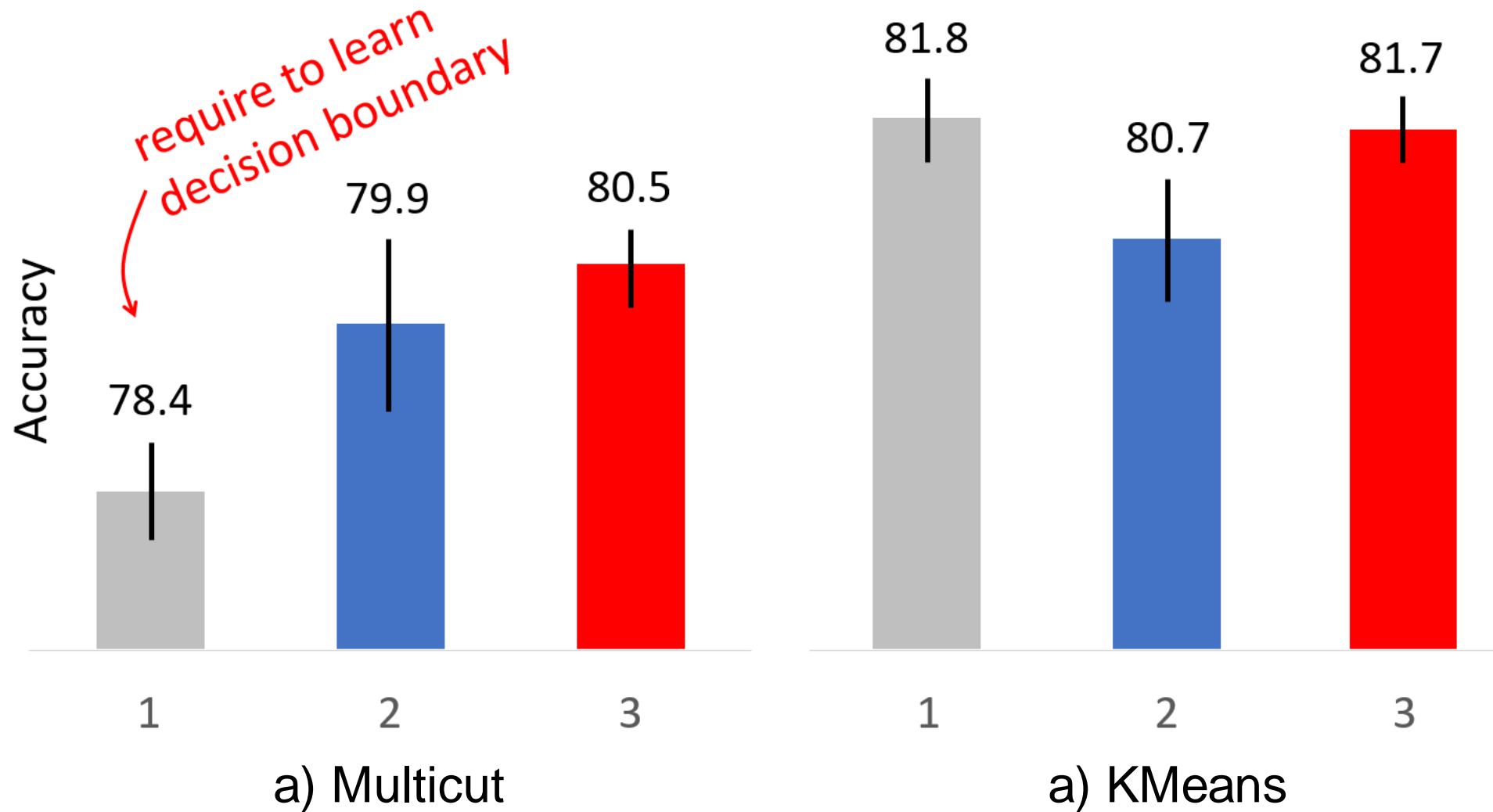


# Clustering Performance with noisy data: Multicut

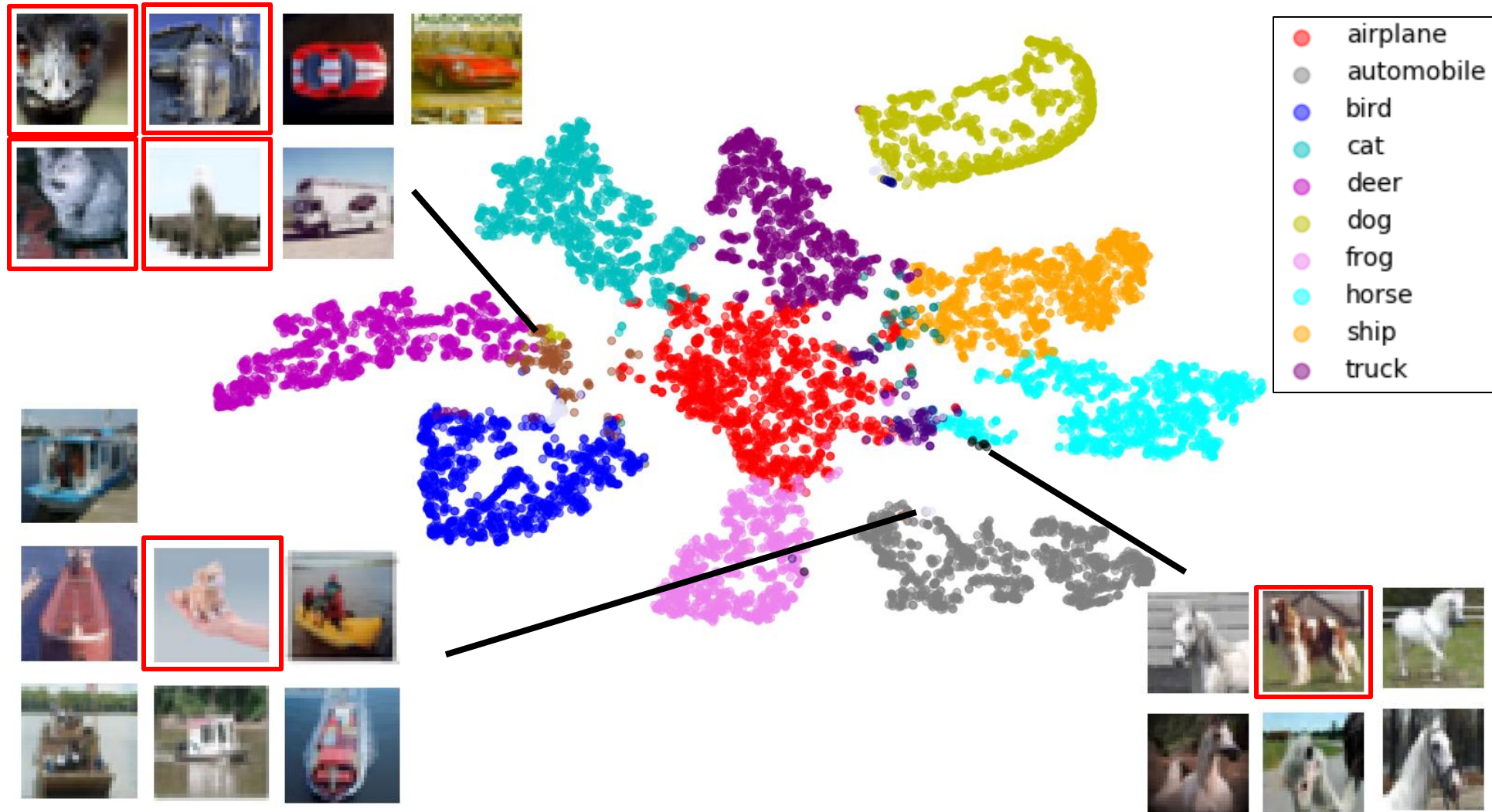




# Clustering Performance: Multicut vs. KMeans



# TSNE-Visualization: Multicut-Clustering on CIFAR10



# Summary

- Study on two clustering approaches applied on embeddings, learnt from three versions of Triplet Losses
- Simplification of Triplet Loss, which allows to directly compute the probability of two data points for belonging to disjoint components
- Proposed Triplet Loss outperform previous versions on CIFAR-10 and is robust against noise